

Raccoon

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Signature schemes strike a balance between:

-  Sizes (verification key and signatures)
-  Speed (signing, verification)
-  Portability
-  Conservative assumptions
-  **Resistance against side-channel attacks**

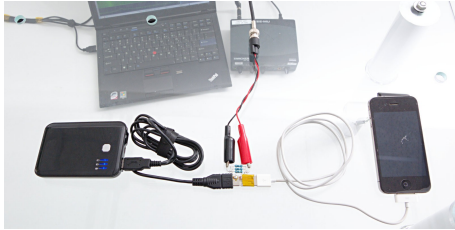
And so on...

Criteria					
Dilithium	★★★	★★★★	★★★★	★★	🛡️
Falcon	★★★★	★★★★	★★	★★	🛡️
SPHINCS+	★★	★★	★★	★★★★	🛡️
Raccoon	★★	★★★★	★★★★	★★	★★★★

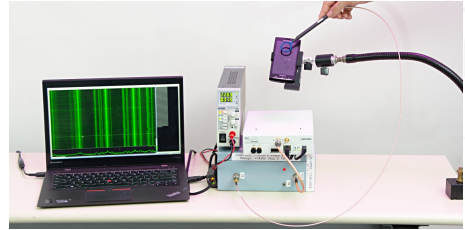
Side-Channel Attacks



Power consumption [KJJ99]



Electromagnetic emissions [Eck85]



Timing measurement [Koc96]



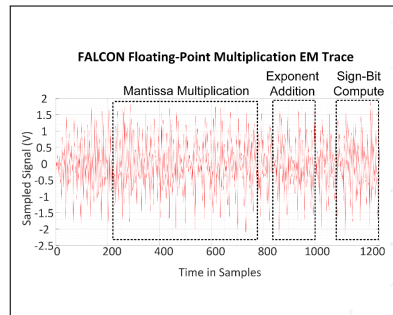
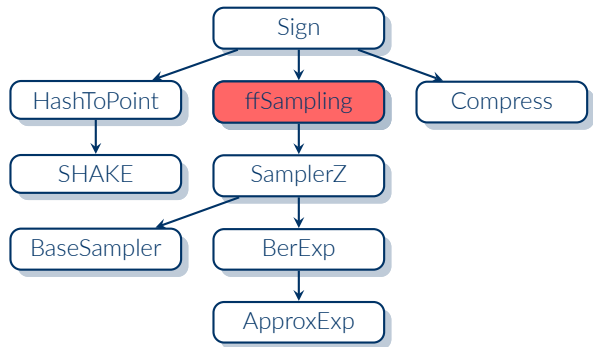
Acoustic emissions [AA04]



In Falcon, a signature **sig** is distributed as a Gaussian.

The signing key **sk** should remain private.

The power consumption leaks information about the dot product $\langle \mathbf{sig}, \mathbf{sk} \rangle$, or **sk** itself.



Learning **sk** directly

Figure 1: Flowchart of the signature

¹FALCON Down: Breaking FALCON Post-Quantum Signature Scheme through Side-Channel Attacks [KA21]

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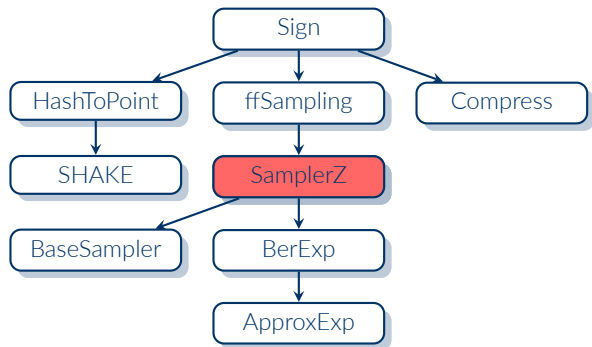
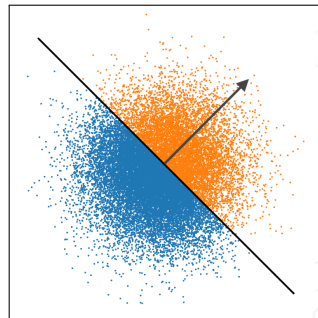




Figure 1: Flowchart of the signature



Filtering $\langle \mathbf{sig}, \mathbf{sk} \rangle > 0$

²Improved Power Analysis Attacks on Falcon [ZLYW23]

t -probing model

-  Adversary can probe t circuit values at runtime
-  Unrealistic but a good starting point




Masking

-  Each sensitive value x is split in d shares:

$$\llbracket x \rrbracket = (x_0, x_1, \dots, x_{d-1}) \quad (1)$$

such that

$$x_0 + x_1 + \dots + x_{d-1} = x \quad (2)$$

-  In t -probing model, ideally 0 leakage if $d > t$
-  In “real life”, security is exponential in d
-  What about computations?



Interlude: river-crossing puzzles

Remember this puzzle?

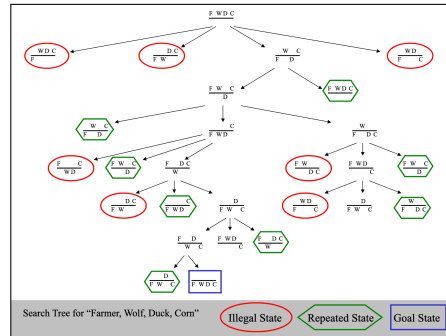
“ A farmer with a wolf, a goat, and a cabbage must cross a river by boat. The boat can carry only the farmer and a single item. If left unattended together, the wolf would eat the goat, or the goat would eat the cabbage. How can they cross the river without anything being eaten? ”



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It gets quickly complicated...

Now replace:

- 1 The set { farmer, wolf, goat, cabbage } by the shares (x_0, \dots, x_{d-1})
- 2 The operation “everyone crosses the river” by an arbitrary function $f(\llbracket x \rrbracket) \rightarrow \llbracket y \rrbracket$
- 3 The constraints “never leave A alone with B” by “a probing adversary shall not learn anything”

... and you obtain an inexhaustible source of headaches for cryptographers.

How difficult are operations to mask?

☹ Addition ($\llbracket c \rrbracket = \llbracket a + b \rrbracket$)?

- Compute $\llbracket c \rrbracket = (a_0 + b_0, \dots, a_{d-1} + b_{d-1})$, simple and fast: $\Theta(d)$ operations

☹ Multiplication ($\llbracket c \rrbracket = \llbracket a \cdot b \rrbracket$)?

- Complex and slower: $\Theta(d^2)$ operations

🤖 More complex operations?

- Use so-called *mask conversions*, very slow: $\gg \Theta(d^2)$ operations

*Lithium and
Raccoon
(simplified)*

Keygen(1^λ) \rightarrow (sk, vk)

- 1 Generate a large matrix $\mathbf{A} = [\mathbf{I} | \bar{\mathbf{A}}] \in \mathcal{R}_q^{k \times (k+\ell)}$ ▷ No mask
- 2 Generate a short secret \mathbf{s} ▷ **Slow**
- 3 Compute $\mathbf{t} = \mathbf{A} \cdot \mathbf{s}$ ▷ **Fast**
- 4 Verification key $\mathbf{vk} = (\mathbf{A}, \mathbf{t})$ ▷ No mask
- 5 Signing key $\mathbf{sk} = \mathbf{s}$ ▷ No mask

When masking this algorithm, the bottleneck is sampling \mathbf{s} (2):

- Concretely, start with boolean masking, then apply B2A conversions
- Total masking overhead: $O(d^2 \log q)$

Keygen(1^λ) \rightarrow (sk, vk)

- ① Generate a large matrix $\mathbf{A} = [\mathbf{I} | \bar{\mathbf{A}}] \in \mathcal{R}_q^{k \times (k+\ell)}$ ▷ No mask
- ② $[[\mathbf{s}]] = (\mathbf{0}, \dots, \mathbf{0})$ ▷ Fast
- ③ For $i \in [T]$: ▷ We call this “AddRepNoise”
 - ① Sample short random shares in parallel: $[[\mathbf{r}]] = (\mathbf{r}_0, \dots, \mathbf{r}_{d-1})$ ▷ Fast
 - ② $[[\mathbf{s}]] := [[\mathbf{s}]] + [[\mathbf{r}]]$ ▷ Fast
 - ③ Refresh $[[\mathbf{s}]]$ ▷ Fast
- ④ Compute $\mathbf{t} = \mathbf{A} \cdot [[\mathbf{s}]]$ ▷ Fast
- ⑤ Unmask $[[\mathbf{t}]]$ to obtain \mathbf{t} ▷ Fast
- ⑥ Verification key is $\mathbf{vk} = (\mathbf{A}, \mathbf{t})$ ▷ No mask
- ⑦ Signing key is $\mathbf{sk} = [[\mathbf{s}]]$ ▷ No mask

Keygen(1^λ) \rightarrow (sk, vk)

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We show that \mathbf{s} retains a large amount of randomness **even in the presence of a probing adversary**.

Dilithium follows the Fiat-Shamir **with aborts** paradigm.

$\text{Sign}(sk = \mathbf{s}, vk = (\mathbf{A}, t), msg) \rightarrow sig$

- 1 Generate a short ephemeral secret \mathbf{r} ▷ Slow
- 2 Compute the commitment $\mathbf{w} = \mathbf{A} \cdot \mathbf{r}$ ▷ Fast
- 3 Compute the challenge $c = H(\mathbf{w}, msg, vk)$ ▷ No mask
- 4 Compute the response $\mathbf{z} = \mathbf{s} \cdot c + \mathbf{r}$ ▷ Fast
- 5 Check that \mathbf{z} is in a given interval. If not, restart. ▷ Slow
- 6 Signature is $sig = (c, \mathbf{z})$

Masking bottlenecks:

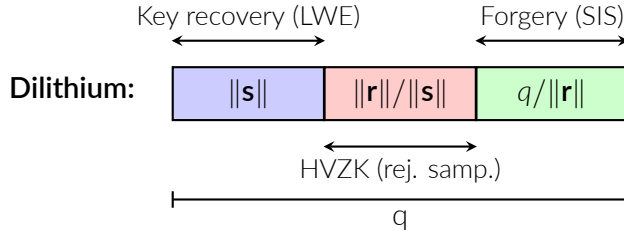
- ⌚ Short secret generation (1) requires B2A.
- ⌚ Rejection sampling (5) requires A2B and B2A.

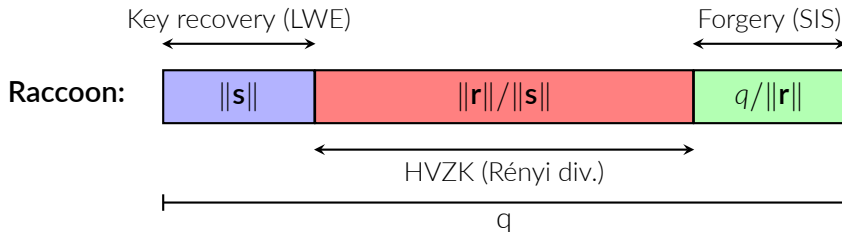
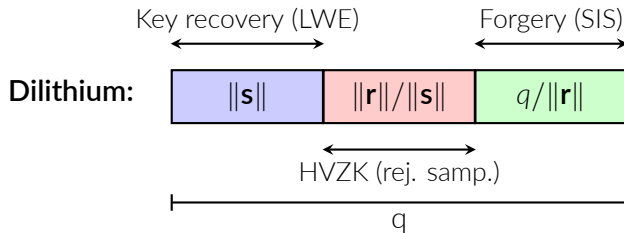
Total masking overhead: $\Theta(d^2 \log q)$

Sign($sk = \llbracket \mathbf{s} \rrbracket, vk = (\mathbf{A}, \mathbf{t}), msg$) \rightarrow sig

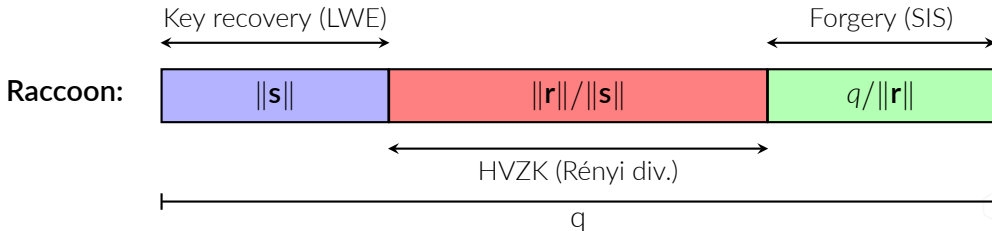
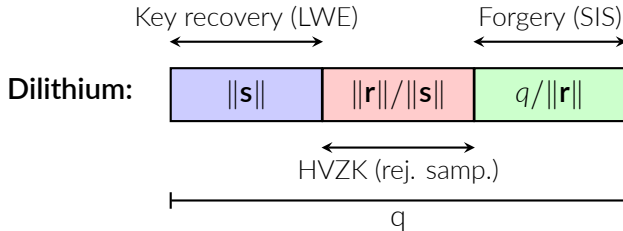
- 1 Generate a masked short ephemeral secret $\llbracket \mathbf{r} \rrbracket$ using "AddRepNoise" \triangleright Fast
- 2 Compute the commitment $\llbracket \mathbf{w} \rrbracket = \mathbf{A} \cdot \llbracket \mathbf{r} \rrbracket$ \triangleright Fast
- 3 Unmask $\llbracket \mathbf{w} \rrbracket$ to obtain \mathbf{w} \triangleright Fast
- 4 Compute the challenge $c = H(\mathbf{w}, msg, vk)$ \triangleright No mask
- 5 Compute the response $\llbracket \mathbf{z} \rrbracket = \llbracket \mathbf{s} \rrbracket \cdot c + \llbracket \mathbf{r} \rrbracket$ \triangleright Fast
- 6 Unmask $\llbracket \mathbf{z} \rrbracket$ to obtain \mathbf{z} \triangleright Fast
- 7 (No more rejection sampling!)
- 8 Signature is $\mathbf{sig} = (c, \mathbf{z})$

Total masking overhead: $O(d \log d)$

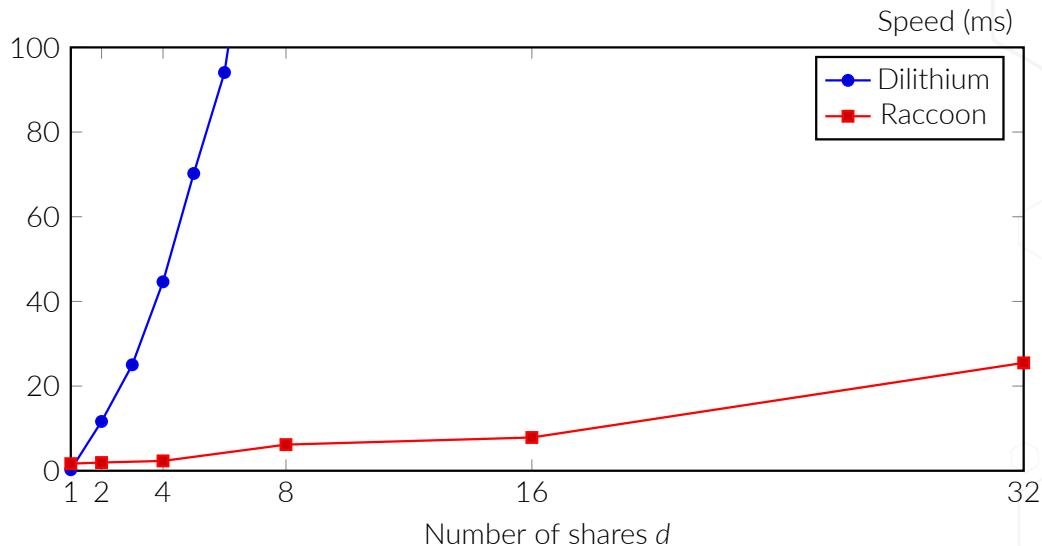




- 1 Removing rejection sampling increases $\|r\|/\|s\|$ from $\Theta(\dim s)$ to $\Theta(\|c\|\sqrt{\text{Queries}})$



- 1 Removing rejection sampling increases $\|\mathbf{r}\|/\|\mathbf{s}\|$ from $\Theta(\dim \mathbf{s})$ to $\Theta(\|\mathbf{c}\|\sqrt{\text{Queries}})$
- 2 The increased q in turn requires increasing $\|\mathbf{s}\|$, $q/\|\mathbf{r}\|$ and/or the dimensions.



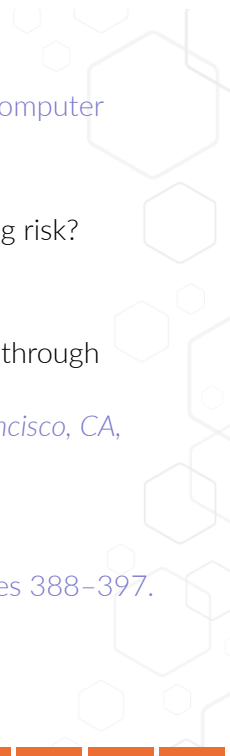





💡 With some tricks [SR23], RAM consumption is < 128 kB

Raccoon is a specific-purpose scheme aimed at high side-channel resistance:

- 😊 Same assumptions as Dilithium
- 😊 Simpler
- 😊 Verification key size is similar
- 😞 Signature is 4x larger
- 😊 **When masked, orders of magnitude faster than other schemes are**

Questions?



- 
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